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The American Americ

Enhancing rural teachers' instructional decision making: An application of the SOLO model	1
Using Concept Mapping Strategies to Support teacher Professional learning and the Assessment of Student Understanding	19
New Directions and Tasks of the Rural Educational Welfare Policy in Korea	37
Present and Future of the Educational System in Rural Areas in Japan [Saiko Sadahiro]	63
Sanson Ryugaku Program in Small Sized Municipalities ··· [Kimiko Ozaki]	75
Evaluating the Quicksmart Numeracy Program: an Effective Australian Intervention that Improves Student Achievement, Responds to Special Educational Needs, and Fosters Teacher Collaboration [Lorraine Graham · John Pegg]	87
Videoconferencing between Australian and Korean Schools for Intercultural Exchanges	

Student Welfare Program in Australia and Korea	23
Examining Teacher Collegiality in Context: An Uncertainty Management Perspective	.35
■ 기초학력 책임지도 책무성 논리 탐색 ························【김순남·이병환】 ····1	159
■ 교수의 개인 특성과 대학의 연구 환경이 연구 성과에 미치는 영향 【김훈호·박환보】	185
■ 학교조직 메타포인 개방체제 개념의 타당성 검증: 가치역학의 관점에서 【박삼철】	211
■ 2010년 교육감 및 교육의원 선거의 기호효과에 관한 연구 【송기창·박소영】	
■ 지방교육자치 연구경향 분석(1991~2010)【박수정・박선주・박진영】 …	
■ 2010년 미국 학교급식 경비지원 관련법률 제·개정의 의미 분석 A Study on the Meaning of 「Healthy, Hunger-Free Kids Act of 2010」 【이덕난·한지호·최윤정】 …	
■ 자생적 학교 혁신의 확산 경로와 과정에 대한 연구 ·········【정바울·황영동】 ···	
■ 서울시 초등학교 학업성취도에 대한 비용효과분석 【정동욱·김영식·홍지영】 …	
■ 주요국의 학교평가 체제 변화 연구 【홍창남·이쌍철·김혜진·주철안】…	

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Evaluating the Quicksmart Numeracy Program: an Effective Australian Intervention that Improves Student Achievement, Responds to Special Educational Needs, and Fosters Teacher Collaboration

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John Pegg (SiMERR, Australia)

ABSTRACT -

QuickSmart is a long-running intervention and research project originating in Australia. It is a structured intervention program designed for middle-school students (10 to 13 years) with significant learning difficulties in basic literacy and numeracy. The program aims to increase fluency in the most basic skills that underpin proficient performance in reading and in mathematics calculations and problem solving. The guiding principle is that building fluency and confidence in basic skills enables students to devote much more cognitive effort to the higher-order processes involved in reading for meaning and in solving mathematics problems. The QuickSmart project also includes a research component that investigates the effectiveness of the intervention and observes the effect of improved fluency on students' performance on standardised achievement tests. A professional training and support component is an essential component of QuickSmart for those involved in delivering the program in schools. This paper reports data from the ongoing evaluation of the numeracy component from 2001 to 2008. The data indicate that, so far, the intervention has improved the numeracy performance of more than 2,000 students with learning difficulties from over 90 schools in Australia. Data from the literacy component are still under going analysis.

[Key words] learning difficulties, basic academic skills, educational interventions, numeracy

Submission(2011. 5. 31), Review(2011. 6. 22), Approval(2011. 7. 21)

I. Introduction

Schools in the United States, Australia and the UK share a common problem—too many of their students fail to achieve an adequate standard in basic numeracy. Evidence of this can be found in the United States within the data reported from the National Mathematics Advisory Panel Report (Gersten et al., 2009), in Australia from the results from the National Assessment Program: Literacy and Numeracy (NAPLAN) and the earlier nationwide 'benchmarking' assessments (Commonwealth of Australia, 2008; MCEETYA, 2009), and in Britain from regular surveys conducted with both school students and adults (e.g., Coben, 2003; OfSTED, 2005). It is now accepted generally that, for a variety of reasons, at least five to ten per cent of students have significant and ongoing difficulties in learning mathematics. Current teaching methods and in-class intervention strategies such as differentiating learning activities according to students' abilities (e.g., Ferguson, 2009) do not appear to overcome the learning problems experienced by most of these students.

Unfortunately, the achievement gap between their numeracy skills and the expected standard for their age group widens over time. As a result, the majority of these students lose confidence in their own ability to cope with basic mathematics and feel powerless to change the situation. In many cases, their problems are still and feel powerless to change adults, often placing limitations on the types of evident when they become adults, often placing limitations on the types of the employment they can enter (House of Commons Public Accounts Committee: UK,

2009). It has been stated that:

No child should move into her or his teenage years, and on into adulthood,
unable to read, write or work with numbers. Without these fundamental skills, our
unable to read, write or work with numbers without these fundamental skills, our
unable to read, write or work with numbers without these fundamental skills, our
unable to read, write or work with numbers without these fundamental skills, our
unable to read, write or work with numbers. Without these fundamental skills, our
unable to read, write or work with numbers. They are also at much greater risk of social
education or to find well paid jobs. They are also at much greater risk of social
exclusion (DENI, 2008, p. i).

II. CAUSES OF LEARNING DIFFICULTY

There are many factors that contribute to learning difficulties in the numeracy

domain, ranging from some that are intrinsic to the student and others that are clearly environmental. Among the intrinsic factors operating in some cases are visual or auditory perceptual difficulties, information processing deficits, poor attending behaviours, working memory problems, and lack of effective learning strategies (Geary, 2005; Lerner & Kline, 2006; Westwood, 2008). In addition, one or two students in every hundred may have a specific learning disability (dyscalculia) that adversely affects their ability to acquire number skills and concepts or to process quantitative data (Landerl, Bevan & Butterworth, 2004; Wadlington & Wadlington, 2008). The environmental factors that adversely affect learning of numeracy skills include ambivalent community attitudes toward the importance of learning mathematics, lack of family support and encouragement, and an absence of structured learning opportunities in the preschool years. Children from disadvantaged backgrounds tend to be over represented over-represented among students with poor numeracy skills. For example, in Australia it has been found that students in remote and rural areas and Indigenous students have some of the lowest numeracy scores in national testing programs (Doig, 2001; Graham, Bellert & Pegg, 2007). However, among the most important environmental influences on numeracy development is the quality and effectiveness of the instruction that students receive in school (Farkota, 2005; Martin, 2007; Pincott, 2004). Unfortunately, the currently favoured teaching approaches for mathematics that focus primarily on open-ended investigation, activity, and problem solving are not always effective in building and reinforcing basic number knowledge and computational skills. This is particularly the case among students with learning difficulties. Research has consistently found that, regardless of the underlying causes of their difficulties, these students learn best through explicit and systematic instruction that provides ample opportunities for fundamental knowledge and skills to become firmly established through guided practice and corrective feedback (Ellis, 2005; Gersten, Jordan & Flojo, 2005; Rowe, 2006; Swanson, Hoskyn & Lee, 1999). They do not benefit from being plunged into open-ended learning activities that lack clarity and structure.

With these issues in mind, in 2001 a team from the University of New England's National Centre of Science, Information and Communication Technology, and Mathematics Education for Rural and Regional Australia (SiMERR) designed an

intervention program, QuickSmart, to reverse the trend of ongoing poor academic performance for students who have been struggling at school for several years and who are caught in a cycle of continued failure (Graham, Bellert, & Pegg, 2007). QuickSmart targets students with learning difficulties in the middle school years and focuses on increasing their fluency (automaticity) in basic literacy and numeracy skills. This paper synthesises research data on the effectiveness of the QuickSmart Numeracy component, as revealed in evaluation data covering the period 2001 to 2008.

III. KEY FEATURES OF QUICKSMART NUMERACY INTERVENTION

QuickSmart is a teacher- or teacher aide-directed program that operates for 3 x 30-minute lessons per week over a period of 30 weeks, usually spanning 3 school terms. Students participate in the sessions in pairs and are taught in a withdrawal setting, not in the mainstream classroom. They are taught to develop effective strategy use and they participate in targeted practice activities. QuickSmart students spend considerable lesson time becoming 'quicker' at recalling number facts and performing simple calculations, and 'smarter' in strategy use. Both structured and incidental strategy instruction are important features of numeracy lessons, with the aim of moving students on from relying on slow and error-prone strategies (especially count-by-one strategies) to the use of more sophisticated and efficient strategies and automatic recall. Focusing on various domains in numeracy, the program enables instructors to plan instruction that meets individual students' learning needs and also provides students with opportunities to self-monitor and to receive immediate, formative feedback.

QuickSmart learning and teaching strategies are drawn directly from research evidence identifying effective methods for students with learning difficulties (e.g., Bryant et al., 2008; Gersten, Jordan & Flojo, 2005; Rowe, 2006; Swanson, 2000). These include explicit strategy instruction, modeling, discussion, questioning, feedback guided and independent practice, and frequent reviews. Each lesson involves brief revision of work covered in the previous session, a number of guided practice activities featuring overt self-talk, discussion and practice of memory and retrieval strategies, and games and worksheet activities followed by timed and independent practice activities.

Ongoing, formative assessment is an integral part of the QuickSmart intervention program and ensures that the learning program is tailored to extend the existing knowledge and skills of individual learners. Most lessons conclude with an assessment using the computer-based Cognitive Aptitude Assessment System (CAAS) to provide the student and the instructor with information about the accuracy and speed of recall of basic facts. This software was developed at the Laboratory for the Assessment and Training of Academic Skills (LATAS) at the University of Massachusetts (Royer & Tronsky, 1998; Royer, Tronsky, & Chan, 1999).

The implementation of QuickSmart in Australia has been supported by research grants from the Australian Research Council, the Federal Government, project funds from SiMERR, and extensive cash and in-kind support from the Northern Territory and New South Wales. Since 2001, when the intervention was first introduced on a small scale in New South Wales, QuickSmart has been implemented on an increasingly expansive scale. In 2008 the program had extended to more schools in New South Wales and the Northern Territory, and was being introduced in South Australia, Victoria, and the Australian Capital Territory. In 2009, 148 Australian schools offered the QuickSmart intervention programs. Growth has continued to the extent that over 450 schools are implementing QuickSmart programs in 2010. Details of QuickSmart can be found online at:

http://www.une.edu.au/simerr/quicksmart/pages/index.php

IV. METHOD

A critical research aspect of the implementation of QuickSmart has been the attention paid to the ongoing intensive evaluation of the program. Over the period 2001 to 2008 systematic data collection accrued substantial empirical evidence

regarding the value and applicability of the QuickSmart Numeracy program (Graham, Bellert, & Pegg, 2001; Graham, Bellert, Thomas, & Pegg, 2007; Pegg, Graham, & Bellert, 2005). The accumulation of such evidence over time from multiple jurisdictions across a range of geographic and socio-economic contexts is, we believe, a more powerful evaluation procedure for establishing the veracity, usefulness, effectiveness and sustainability of the program than any single controlled experimental study.

The QuickSmart project uses a quasi-experimental research design involving collecting and analysing pre-test and post-test data from two groups of students: (i) the 'QuickSmart Students', who participate in the numeracy and/or literacy intervention programs; and (ii) 'Comparison Students' who do not participate in the intervention programs. These comparison students are average achievers in mainstream mathematics, are the same age as the QuickSmart students, and are drawn from the same schools. Both QuickSmart and comparison students complete the selected CAAS sub-tests in numeracy at the beginning and the end of the intervention period and also participate in the standardised testing sessions. Pre-test and post-test data are collected by school-based QuickSmart co-ordinators for both sets of students using the CAAS test results and the independent state-wide or standardised achievement tests results.

All data from schools other than those in the Northern Territory are sent to the SiMERR National Centre at the University of New England, where they are transferred to electronic spreadsheets or word processing programs in readiness for analysis. In the case of schools in the Northern Territory, officers from the Department of Education and Training have (since 2006) independently collected data from participating schools and then undertake the analysis before forwarding the results to SiMERR.

1. Participants

<Table 1> summarises the various cohorts of middle-school students with mathematics learning difficulties who have participated in QuickSmart between 2001 and 2008, together with the numbers of normally-achieving students used for comparison purposes in each year.

<Table 1> Summary of QuickSmart data for all Regions/School Sectors, 2001 - 2008

Year	School s	<i>QS</i> Students	Comparison Students	All Students (QS+Comp)	Indigenous/NESB Students
2001	2	20	13	33	N/A
2002	3	18		18 ₆	N/A
2003	10	63	40	103	A NAMA
2004	8	72	43	115	N/A
2005	13	130	141	271	N/A
2006	19	245	118	363	116
2007	55	780	269	1049	215
2008	91	772	206	978	268
TOTAL	201	2100	830	2930	599

Note: QS = QuickSmart. NESB = Non English speaking background

2. Instruments: Standardised Tests and the Cognitive Aptitude Assessment System (CAAS)

The main yardstick used for assessing progress over time was the Progressive Achievement Test (PAT) in Mathematics (ACER, 2005). It is important to note that over the eight-year span of this analysis, versions of the PAT used in schools have varied. Therefore, where possible, raw scores have been transformed to scale scores (PATM), which are consistent across all versions of the PAT tests.

Measuring changes in accuracy and automaticity of basic academic skills and the recall of basic facts is an integral part of this research. Upon admission to the QuickSmart program students complete an assessment process consisting of CAAS tasks that measure the speed and accuracy of hierarchically arranged basic mathematics tasks. Speed is measured using tasks that involve the appearance of a

stimulus on the computer screen followed by the student responding into a microphone. The CAAS provides highly accurate measures of how rapidly students complete the tasks and an assessor then scores the response for accuracy. The CAAS assessment process involves completion of tasks that measure number identification, and a range of addition, subtraction, multiplication and division tasks. The CAAS data comprise results from five tests based on sets of twenty randomly generated individual questions. The five tests are referred to as: number naming, addition, subtraction, multiplication, and division. In each test, scores are collected for both percentage accuracy (accuracy) and the average time taken for a response to each question (speed).

V. ANALYSIS OF DATA

Analysis of quantitative data involved comparing the standardised tests and state-wide assessments results, followed by analyses of the CAAS measures using MANOVA and ANOVA statistics and a follow-up using step-wise regression. Effect Size calculations were completed where appropriate for all the available QuickSmart data. The major rationale for utilising MANOVA was to examine whether the QuickSmart intervention program was associated with differences in mean scores obtained on a considerable number of dependent variables. The rationale for using step-wise regression was that this procedure makes no assumptions about the relative importance of variables and instead selects variables for entry into the model in an order that reflects the extent to which they explain shared variance, and the extent to which this sharing is statistically significant. Conversely, step-wise regression excludes variables from the model that do not explain a sufficient portion of the shared variance. A feature of this procedure is that when two variables overlap in their capacity to account for the shared variance, the variable with the greater capacity to do so is entered.

In addition to these analyses across the whole set of the QuickSmart data from 2001 to 2008, Effect Sizes were also calculated for each region or Territory where QuickSmart has been implemented since the program began. Effect Sizes were used

here to quantify the effectiveness of interventions relative to comparison groups. Discussion of Effect Sizes enables researchers to move beyond the simplistic, 'Does it work or not?' to the more useful, 'How well does it work in a range of contexts?' Based on the work of Hattie (2009) an insignificant Effect Size is around 0.1, an average Effect Size is around 0.3, important Effect Sizes begin above 0.4, and significantly important Effect Sizes occur above 0.6.

VI. RESULTS

Looking first at the evidence obtained from the pre- and post-testing using PAT Standardised Tests, the following results can be reported. Difference scores based on the available raw scores from PAT in Mathematics indicated that overall the average difference score for the 1354 QuickSmart students was 5.63 (SD = 6.84) compared to an average difference score of 3.78 (SD = 7.62) for the 530 comparison students.

Using available Scale Score (PATM) data, the descriptive statistics indicate that the difference scores for 573 QuickSmart Numeracy students averaged 6.70 (SD = 7.50), while difference scores for the comparison students averaged 3.67 (SD = 7.04). Importantly, the gain for 120 Indigenous students with PATM difference scores averaged an impressive 7.07 points (SD = 8.66). <Table 2> displays mean difference scores for data from the Progressive Achievement Tests in Mathematics.

<Table 2> Means and Standard Deviations for PAT Difference Scores

Group		QuickSmart		Comparison	
		Mean <	SD	Mean	SD
Raw	Score Difference	5.63	6.84	3.78	7.62
Scale	Score (PATM)	6.70	7.50	3.67	7.04
Difference		10.4010	. 3	9 13.1	

A between-groups multivariate analysis of variance (MANOVA) was conducted to determine the effect of group membership (QuickSmart or Comparison) on four dependent variables (DVs), (i.e., difference scores based on PAT pre-test and composite score data). Significant effects were found for group membership on the

multivariate dependent measures, Wilks' L= 0.71, F(4,671) = 67.75, p<0.001.

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Univariate tests (Analysis of variance (ANOVA)) provide an indication of whether specific independent variables (IVs) are significantly associated with specific DVs. The main effect for treatment condition was statistically significant for difference scores based on the raw PAT scores (F(1,674)=35.19, p<0.001), PATM scores across all versions of the PAT tests (F(1,674)=16.42, p<0.001), and PAT stanine scores (F(1,674)=14.33, p<0.001). Looking next at the data obtained from the CAAS assessments, <Table 4> summarises the MANOVA and ANOVA statistics for all CAAS assessments in mathematics.

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Dependent Variable	df	Df error	MS	F.	Sig.
Numerical identification speed	1	582	2.361	9.379	**
Numerical identification accuracy	i v konsker Storika Silveria	582 had	50 (54 A 5) 50 50 15.899 55 50 10 10 10 10 10 10	0.688	one protection. NS materials
Addition speed	1	1020	93.537	40.958	***
Addition accuracy	: 1 ',	1020	2216.907	21.527	***
Subtraction speed		967	135.264	49.685	***
Subtraction accuracy	1.	967	6233.29	44.278	***
Multiplication speed		953	256.718	40.564	***
Multiplication accuracy	1 1	943	17388.33	58.71	***
Division speed		914	379.903	60.969	***
Division accuracy **n(0.01 ***n(0.00	1	914	24344.567	78.079	***

^{**}p(0.01, ***p(0.001

Significant outcomes were obtained for group membership (QuickSmart versus Comparison students) on all the CAAS measures except for the accurate identification of numerals, a very simple subtest that did not differentiate between the students because of the high accuracy levels of both groups. This group of findings is easily interpretable and important in terms of the design of the QuickSmart Numeracy program and its focus on the accuracy of basic facts and speed of recall. The major outcome of the step-wise regression was that the QuickSmart numeracy intervention predicted all of the Mathematics change scores. This means that the effect of the QuickSmart program was strong across both the standardized and CAAS measures.

Turning now to the Effect Size analyses, the data here were obtained from schools in various regions of NSW and from the Northern Territory. It is useful to be reminded again that in educational research Effect Sizes below 0.2 are considered weak because an appropriate and 'normal' range of growth over an academic year for a student cohort would be within the range of 0.2 to 0.4. Effect Size scores of 0.4 to 0.6 are considered strong, those between 0.6 and 0.8 are considered very strong, while those above 0.8 represent substantial improvement of the order of approximately three years' growth.

The official report evaluating QuickSmart (Pegg & Graham, 2009) contains Effect Size data tables for many separate regions participating in the program and for different years of involvement. The scope and length of this paper do not allow for reproduction of all these tables, so for convenience Effect Size results are summarised here. In this longitudinal study, the Effect Sizes obtained across schools and jurisdictions are remarkably consistent, ranging from 0.49 to 0.80, with greater effects evident for the QuickSmart students over the comparison group's performance. Secondly, across-the-board the Effect Sizes based on the scores of the QuickSmart students are well above the expected yearly average growth of around 0.3. For example:

A. In the Northern Territory during 2006, 2007, and 2008 the Effect Size growth of many hundreds of QuickSmart students based on state-wide tests was 0.68, 0.60

and 0.78, respectively compared to a considerably lower Effect Size of approximately 0.3 or less calculated for the average-performing comparison cohorts.

- B. Students from the eight schools that participated in QuickSmart in the NSW North Coast Region in 2007 recorded an Effect Size of 0.75 on the ACER PAT tests. In contrast, the comparison cohort's Effect Size value was calculated to be 0.19. The improvement of the QuickSmart students represents approximately three years' growth over the course of a single year. This result improved further in 2008 with an Effect Size of 0.801 calculated for the QuickSmart sample of 238 low-achieving students.
- C. An analysis by an independent statistician of the large data sets of ACER PATM scores from several hundred NSW students found that the Effect Sizes for QuickSmart students ranged from 0.59 to 0.69, with the latter figure representing those students who completed the full thirty weeks of instruction.

Finally, the qualitative evidence obtained from interviews and surveys involving students, parents, teachers, and principals have indicated great support and enthusiasm for QuickSmart. Three typical comments are included below. The official report (Pegg & Graham, 2009), with sets of evidence for over 2,000 students and many hundreds of teachers and parents, contains very many more examples.

A female student's comment:

I know my times tables better than I did. I've improved my speed by finding short ways of doing the number facts. And I know about denominators and numerators. And how to change things into a decimal or a percentage and how to put things in the right groups. (2003, New England Girls' School, Armidale, QuickSmart Numeracy student)

A parent's comment:

QuickSmart has had a huge effect on our daughter's performance at school. Most notably the Basic Skills [Test] results. In Year 3 she was in the bottom 30% of the state. This year, in Year 5, she was in the top 30%. (2005, St Francis Xavier Woolgoolga)

An administrator's comment:

My experiences in viewing QuickSmart in action in the schools in New England are all positive. I have found many students, who were previously disengaged with mathematical activities, totally engaged in the activities and process that form a major part of the intervention... Independent research in the New England region indicated that students, including Aboriginal students, make quick gains in their ability and confidence to use mathematics (A/General Manager, Learning and Development, NSW DET).

VII. CONCLUSION

The learning difficulties experienced by many middle-school students are persistent and resistant to change unless they are provided with sustained and intensely focused personalised instruction. QuickSmart is an intervention program that targets, with small group instruction, those students in the lower 30% of the achievement spectrum. Analysis of data from a wide range of settings has identified impressive statistically significant gains in terms of probability measures and Effect Sizes that mirror the qualitative improvements reported by teachers, instructors and parents. Students who complete the QuickSmart program show general, sustained improvements in independent learning, self-regulation, metacognition and self-esteem. The strong quantitative and qualitative evidence base reported here confirms that QuickSmart helps to 'narrow the gap' for low-achieving middle-school students.

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